Design and control of cable-driven robot for agile handling of parts in a manufacturing line

Conception et Commande d'un Robot à Câbles pour la manipulation dextre de pièces sur des chaînes de production





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Results

Conclusion

UNIVERSITÉ DE LORRAINE Introduction



- Robotic systems \rightarrow 4-D tasks (Dirty, Dull, Dumb and Dangerous).
- State of art
 Robotics → Key driver of competitiveness and flexibility in large scale manufacturing industries.
 - Making things easier for manufacturers → Precision machining and assembling to material handling.
 - Robots \rightarrow Simpler to program, integrate and install.
 - Collaborative work environments
 Future requirement.





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To develop a solution to reduce Work-related Musculoskeletal Disorders (WMSDs) in workers using a Cable-Driven Parallel Robot (CDPR) which allows interaction of the worker and robot in a safe way.











❑ CDPR with four cables and motors on the moving platform – Not yet implemented for industrial applications.
 ➢ A CDPR with motors on the Moving Platform (MP) and simple anchor points.
 ➢ Benefits → easy to install in a manufacturing line.
 ➢ Inertia of the platform → significant role in the stability of the platform.

❑ Underactuated system - exciting control challenges
 > Internal Dynamics → MP oscillations, abnormal value of cable forces.
 > Control law → Maintain the stability of the platform.
 > Feedback linearization - common approach.

>Implement classical control law \rightarrow Input-Output Feedback Linearization.



EDPR: Dynamic modelIntroductionAssumption 1: Cable mass is negligible
Assumption 2: Cable is assumed to be taut between pointsM(X)
$$\ddot{X} + C(X, \dot{X}) \dot{X} + G(X) = -J^T \tau$$
 (1)State of artM(X) $\ddot{X} + C(X, \dot{X}) \dot{X} + G(X) = -J^T \tau$ (1)State of artM(X) $\ddot{X} + C(X, \dot{X}) \dot{X} + G(X) = -J^T \tau$ (2)WethodologyMethodologyM(X) $\ddot{X} + O(X)$ MethodologyMethodologyM(X) $\ddot{X} + O(X)$ Methodology $p = [p_x, p_y, p_z]^T$, the position vector $\omega = [\omega_x, \omega_y, \omega_z]^T$, the velocity vector of the orientation $\theta = [\alpha, \beta, \gamma]^T$, vector of a set of Euler angles $m =$ mass of the end-effector I_{I_P} = the inertia tensor of the end-effector about point P in the base frame $g =$ the gravity acceleration vector $N(X, \dot{X}) = C(X, \dot{X}) \dot{X} + G(X)$

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Fig. 5: Block diagram for implementation of control to perform the experiments

12



Results

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UNIVERSITÉ DE LORRAINE Experimental validation: Test setup





Fig. 6: CDPR prototype





Fig. 7: Simple attachment points fixed in room (left) and arrangement for cable guiding in MP (right)



Fig. 8: CDPR in the working environment



















Fig. 20: Comparison between desired, rebuilt and measured platform position in z to go up and down







